

Heat  $\rightleftharpoons$  Work

→ internal combustion engine  
 ← A.C, refrigerator

Focus on

- ① Unlimited conversion (repeated)
- ② efficiency

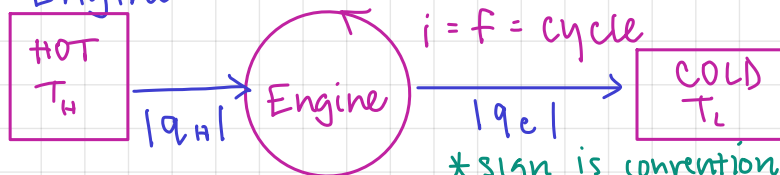
turning work into heat: work  $\rightarrow$  heat ①  $\checkmark$  ② 100%  $\checkmark$  both mult

heat  $\rightarrow$  work Isothermal expansion of gas  
 $q + w = \Delta U = 0 \Rightarrow w = -q$  (100% conversion)

system (gas) has changed because it expanded.

we really want unlimited conversion  
 sacrifice 100% efficiency

### Heat Engine



doing work / losing energy  $|w|$

\* sign is convention  
 use absolute to simplify  
 in this example  
 arrows tell us direction  
 of energy flow

\* assume T doesn't change  
 bc COLD: HOT is so big it  
 doesn't change  
 (like 2nd page of HW)

$T_H, T_C$  don't change  
 temperature

bc going  
 in cycle  $\uparrow$

1<sup>st</sup> Law:  $\Delta U = 0$

implies in = out  $\Rightarrow |q_H| = |w| + |q_C|$

conservation  
 of energy statement

Thermal Efficiency  $\Rightarrow \eta = \frac{|w|}{|q_H|}$

\* you get most work out of reversible  
 conditions (theoretical limit, bc not really  
 possible) Key point of ch 19

$\eta_{max}$  = rev. conditions

Ch 20: Reversible:  $\Delta S = 0 = \frac{|q_H|}{T_H} = -\frac{|q_C|}{T_C}$   
 (because  $S_i = S_f$ )

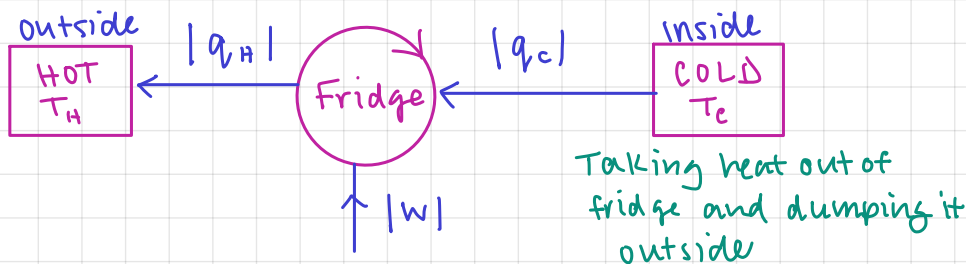
$\Rightarrow \frac{|q_H|}{T_H} = \frac{|q_C|}{T_C} \quad \eta_{\max} = \frac{|q_H| - |q_C|}{|q_H|} = 1 - \frac{|q_C|}{|q_H|} = 1 - \frac{|q_C|}{T_H} \cdot \frac{T_H}{|q_H|}$

$\eta_{\max} = 1 - \frac{T_C}{T_H}$  Theoretical maximum has nothing to do with actual engine, only T

When do you get max eff?  $T_H$  is big,  $T_C$  is small

Nuclear power: Turbines  $\rightarrow$  Steam  $\rightarrow T_H$  is steam (hotter, more efficient)  
 $T_C$  is environment

Refrigerator: Air Conditioning  
 (run heat engine backwards)



1st law: in = out  $|w| + |q_C| = |q_H|$   
 arrows going in      arrows going out

COP = coefficient of performance

$COP = \frac{|q_C|}{|w|}$  want to extract most heat possible with minimum energy expenditure

Max efficiency: Reversible Conditions  $\Delta S = 0 = \frac{|q_C|}{T_C} - \frac{|q_H|}{T_H} = \frac{|q_C|}{T_C} - \frac{|q_H|}{T_H}$

$COP_{\max} = \frac{|q_C|}{|q_H| - |q_C|} = \frac{|q_C|}{\frac{|q_C| \cdot T_H}{T_C} - |q_C|} = \frac{1}{\frac{T_H}{T_C} - 1} = \frac{1}{\frac{T_H - T_C}{T_C}} = \frac{T_C}{T_H - T_C}$

$T_H = -113^\circ F$   
 $T_C = 68^\circ F \Rightarrow COP_{\max} = \frac{293}{23} = 11.7$  actual a/c typically  $\sim 2.5$   
 so not actually efficient

\* keep in mind this is unitless

Least amount of work to get max efficiency