

Broad course outline:

- Chapter 22: free energy  $\rightarrow$  combines enthalpy + entropy
- Chapter 26: equilibrium constant (effects of concentration on  $\Delta G$ )
- Chapter 23-25: Raoult's Laws, Henry's Laws, Osmotic pressure
- Chapter 28-29: Kinetics

first law (Ch 19)

second law (Ch 20)

Chapter 19: Define heat  $q$  and work  $w$  as energy transfer between system and surroundings as a result of temperature difference + unbalanced forces

We will now focus on PV work mainly but there are other kinds of work such as:

- mechanical work of muscle contraction
- transport work of moving  $\text{Na}^+$  ions against a concentration gradient.

PV work

Area = A  $P_{int} > P_{ext}$

dot product

work = force  $\cdot$  displacement

$$w = -P_{ext} \cdot A dz = -P_{ext} dV$$

$$w = -P_{ext} dV$$

\* example: you put a ball on the surface, when it goes up, it stores energy as potential energy, which means the system loses energy.  $\therefore$  energy has gone down in energy.

Although we are pushing down, lid goes up bc  $P_{int} > P_{ext}$  loses energy, that's why  $w$  is neg

Next, consider  $dz < 0$  the lid is pushed down

$w$

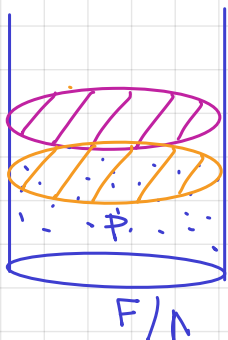
$$w = -P_{ext} A dz$$

remember this is negative bc we are pushing lid down.

$$w = -P_{ext} dV$$

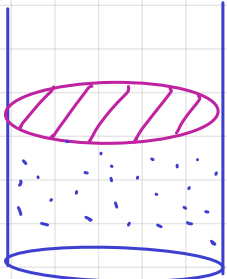
$\Rightarrow$  consistent formula indifferent of volume change.

$\therefore$  system has gone up in energy

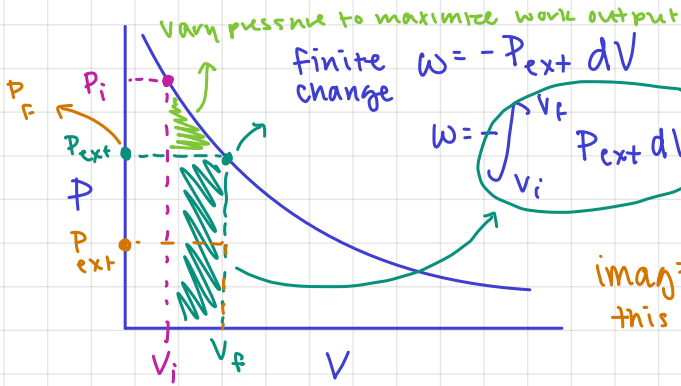


# Constant T (isothermal conditions)

that's how defrosting chicken works, you put it in a bath so it defrosts at even temp, preventing uneven throughout temp, preventing food poisonings



$$PV = nRT = \text{constant} = PV \Rightarrow P \propto 1/V$$



finite change  $w = -P_{\text{ext}} dV$

$$w = - \int_{V_i}^{V_f} P_{\text{ext}} dV$$

initial is less than final, negative work is path-dependent

in a vacuum,  $w=0$  because  $P=0$

imagine adding a weight, think of how it moves up/down this helps imagine potential work being stored

Theoretical

Maximize work that we can extract by the gas expanding  $w_{\text{max}} = - \int_{V_f}^{V_i} P dV$

