### Matlab Programming Help

Online Help:

1. http://www.mathworks.com/academia/student\_center/tutorials/launchpad.html

2. http://www.math.ufl.edu/help/matlab-tutorial/

3. http://www.ag.unr.edu/moeltner/Matlab%20Tutorial/Matlab%20Tutorial.pdf

4. http://terpconnect.umd.edu/~nsw/ench250/for-mat.htm (Comparison between
Matlab and Fortran f77)

#### Programming Basic

1. Input and output statement: output is written first.

Example 1:

X = Y + 1

Define X as Y+1.

X can be a scalar, vector, matrix. To do so, you have to define it first. For scalar case, you don't need to do so.

Code	Meaning
Y=1	Variable Y is defined as 1
Y=1+Y	Variable Y is defined as $1 + 1$ , so that Y becomes 2
X=Y+1	Variable X is defined as 2 + 1
Y = zeros(1,2)	Y becomes a 1x2 null vector. $Y = (0, 0)$
Y(1,1) = 1	Y = (1, 2)
Y(1,2) = 2	

#### 2. Do Loop

Suppose that you want to add the sequence of numbers from 1 to 10. Let's program this.

Ex2.  $X = 1 + 2 + 3 + 4 + 5 + \ldots + 10$ 

Sol 1: Write as

X =1 + 2 + 3 + 4 + 5 + 6 + 7 + 8 + 9 + 10

Sol 2: Write as

X = 1

X = X + 2

X = X + 3

• • •

X = X + 10

Sol 3: Use "For" statement

X = 0;	Assign 0 to X. Need ";" to continue program it.		
For $i = 1:10;$	Start Do loop. First assign i to be 1, and increase it		
X = X + i;	by 1 up to 10.		
End;	X becomes X + i,		
	Repeat this until i = 10		
Let X = [ 1 3 4 2 2 2	4 1 23 5]; That is, X is a 10x1 vector. Calculate its		
mean by using For statement			
Z = 0;	Assign 0 to Z.		
For $i = 1:10;$	Start Do loop. First assign i to be 1, and increase it		
Z = Z + X(i);	by 1 up to 10.		
End;	Z becomes $Z + X(i)$ ,		
	Repeat this until i = 10		

Exercise: For Statement

1. Add 1 through 100

2. Multiply 1 through 20

3. 2 x 4 x 6 x 8 x ... x 20

4. X(1)xY(1) + X(2)xY(2) + ... + X(n)xY(n)

## 3. IF Statement

Format:

IF condition statement End

Example: X = [1 - 2 3 - 4]

We want to change X to index such that Y = 0 if X >0, Y=1 o.w.

Y = X;

For i = 1:4;

if X(i) > 0; Y(i) = 0; end;

if X(i) < 0; Y(i) = 1; end;

end;

Exercise: IF Statement
1. X = [1 3 4 8]. Find the maximum of X.
2. Find the minimum of X
3. Sort X.

```
4. Data (Matrix & Vector) Modification
Ex: A = [1 2; 3 4] implies A = 1 2
                                 3 4
Type the following commends.
  1. A'
   2. sum(A)
   3. sum(A')
   4. sum(A')'
   5. diag(A)
   6. sum(diag(A))
   7. inv(A)
   8. A(1,2)
   9. A(1,1)
   10. A(2,1)
   11. A(:,1)
   12. A(1,:)
   13. A(:)
   14. A(:,end)
Expression
.*
     element by element product
./
    element by element division
\setminus
     inverse
. ^
     element by element power
Type A = [1 2; 3 4]; B = [1 1; 2 3];
   1. a
   2. A
   3. b
   4. в
   5. A.*B
   6. A./B
   7. A\B
   8. Inv(A)*B
   9. A'*A
   10. B'*B
   11. Inv(A).*A
   12. Inv(A)*A
Ex b = [2 3]. You want to calculate A - b = 1-2 2-3
```

3-2 4-3

## Important Functions

Type  $A = [-3 \ 4; \ 1 \ 3; 2 \ 2]$ 1. a

```
2. A
3. mean(A)
4. sum(A)
5. sort(A)
6. [B,id] = sort(A)
7. max(A)
8. min(A)
9. std(A)
10. var(A)
11. cov(A)
12. abs(A)
```

# 5. Function Statement

Format

```
Function output = functionname(inputs)
Example: Average
Function y = mymean(x)
t = length(x);
y = 0;
for i = 1:t;
y = y + x(i);
end;
```

```
Then in the main program, you can recall `mymean'.
z = mymean(x);
```

In Fortran, this function statement is called as `subroutine' program.
In Gauss, it is called as `proc' program.
Matlab library contains many function statements.

```
Assignment 1: Download X and Y variables from the class homepage.
A. Sort X from smallest to largest
B. Sort Y from largest to smallest
C. Calculate mean and variance of X and Y.
D. Calculate correlation between X and Y
E. Make functions (mymean, myvar, mycorr) and use them to calculate C,D and E.
F. Program OLS function.
Input = x and y. both them are Txl vectors.
Regression: y = bx + u.
output:
b = inv(x'x)*x'y
R^2,
ordinary t-value.
Function [b,r2,tb] = myols(y,x)
```

# Lecture 2: OLS & GLS

```
Cross section or Time series data
Model y = a + X*b + u
Where X is a matrix (nxk, k is number of regressors), a is scalar, b is a
vector.
Define a vector such that
n = length(y);
a = ones(n,1);
Next, define a matrix such that
Z = [a X];
[n,k] = size(Z);
OLS estimator:
bhat = inv(Z'*Z)*Z'*y;
   1. Regression residuals: uhat = y - Z*bhat;
         a. t-ratio needs variance of bhat:
              i. IID case:
                  sigma = uhat.*uhat;
                  sigma = sum(sigma)/(n-k);
                  sigma = sigma*inv(Z'*Z);
                  sigma = diag(sigma);
             ii. IDIN case:
                  uuhat = Z.*repmat(uhat,1,2);
                  sigma = uuhat'*uuhat;
                  sigma = sum(sigma)/(n-k);
                  sigma = inv(Z'*Z)*sigma*inv(Z'*Z)*n;
         b. R-squares Rbar-squares:
Example file: ex2.m
n = 100;
y = randn(n,1);
x = randn(n,1);
z = [ones(n,1) x];
b = inv(z'*z)*z'*y;
u = y - z*b;
sig1 = u'*u/(n-2);
sig1 = sig1*inv(z'*z);
h = z.*repmat(u,1,2);
sig2 = h'*h/(n-2);
sig2 = inv(z'*z)*sig2*inv(z'*z)*n;
tra1 = b./sqrt(diag(sig1));
tra2 = b./sqrt(diag(sig2));
[tral tra2]
```

```
GLS Estimator: AR(1) coefficient case
n = 100;
y = randn(n,1);
x = randn(n,1);
z = [ones(n,1) x];
b = inv(z'*z)*z'*y;
u = y - z*b;
% estimation of AR(1) coefficient
uy = u(2:n); ux = u(1:n-1);
rho = inv(ux'*ux)*ux'*uy; % or equivalently rho = sum(ux.*uy)/sum(ux.*ux)
e = uy-ux*rho;
ve = var(e);
% constructing co-variance and variance matrix
omega = eye(n).*ve./(1-rho^2);
for i = 1:n;
    for j = i+1:n;
        omega(i,j) = rho^(j-i);
        omega(j,i) = omega(i,j);
    end;
end;
% Cholesky Decomposition
P = chol(omega);
% Pre-multiplying P matrix
ys = P*y;
zs = P*z;
c = inv(zs'*zs)*zs'*ys;
% variance matrix for c
vc = inv(zs'*zs);
% t-values
tra = c./sqrt(diag(vc));
```

tra

```
Pooled OLS and LSDV
clear;
t=2;
n=10;

y = randn(t,n);
x = randn(t,n);
% LSDV
a = ones(t,1);
a = kron(eye(n),a);

vx = x(:);
z = [a vx];
b = inv(z'*z)*z'*y(:);
b
% POLS
```

```
a = ones(t,1);
a = repmat(a,1,n);
a = a(:);
z = [a vx];
b = inv(z'*z)*z'*y(:);
b
```

### Assignment 3:

- A. Suppose that you want to program the following regressions  $y(it) = a_i + cX(it) + u(it)$ 
  - 1. Input must be y and x where X is a nxk matrix
  - 2. Output must include point estimates, their standard errors (ordinary one, panel robust one), r-bar squares etc.
- B. Suppose that you want to program the following regressions
  - $Y(it) = a_i + bz(i) + cX(it) + u(it)$
  - 3. Make function for LSDV and POLS
  - 4. Output must include point estimates, their standard errors (ordinary one, panel robust one), r-bar squares etc.