

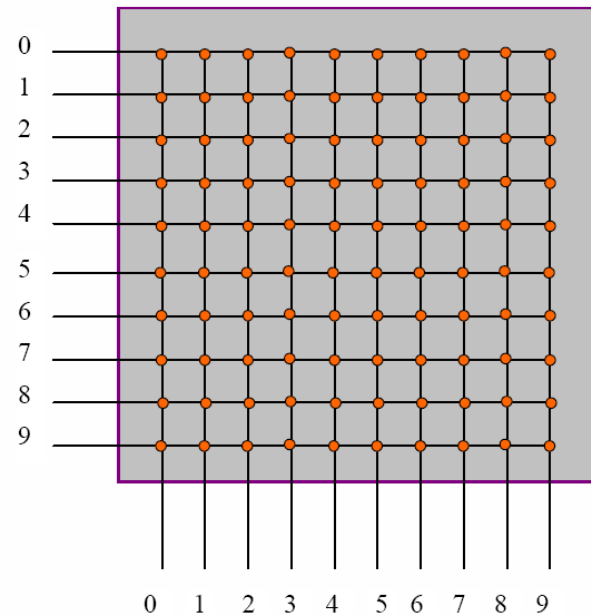
# Digital Switching

# Switching

- ❑ A switch transfers signals from one input port to an appropriate output.
- ❑ A basic problem is then how to transfer traffic to the correct output port.
- ❑ In the early telephone network, operators closed circuits manually. In modern circuit switches this is done electronically in digital switches.
- ❑ If no circuit is available when a call is made, it will be blocked (rejected). When a call is finished a connection teardown is required to make the circuit available for another user.

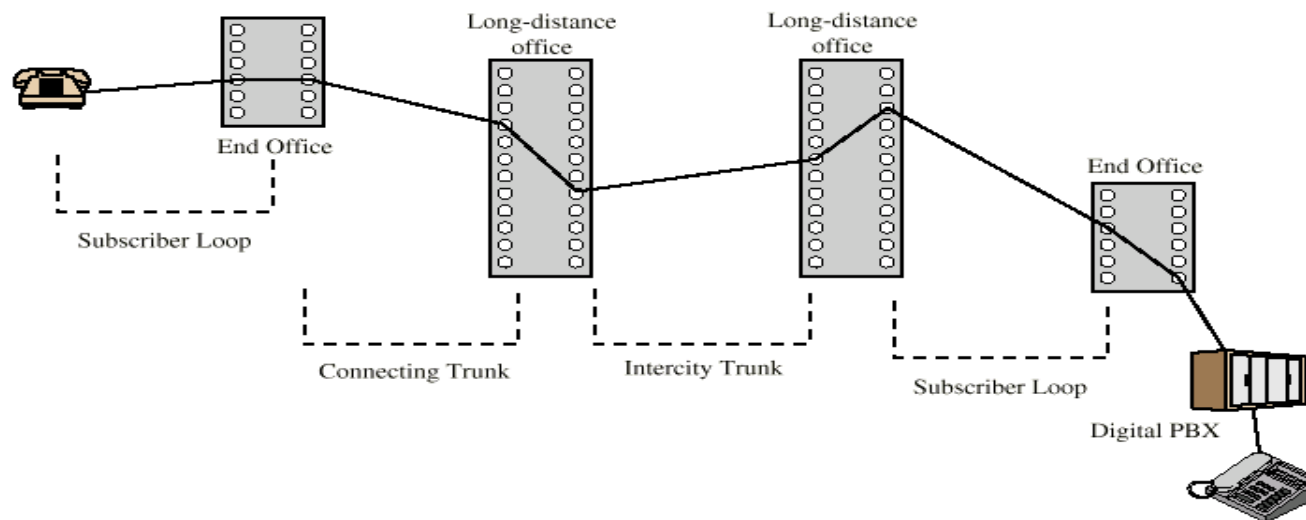
# Crossbar Switch

- A crossbar switch with  $N$  input lines and  $N$  output lines contains an  $N \times N$  array of cross points that connect each input line to one output line. In modern switches, each cross point is a semiconductor gate.



# Switching Functions

- ❑ Recall basic elements of communications network:
  - ❑ Terminals, transmission media, and switches
- ❑ Basic function of any switch is to set up and release connections between transmission channels on an “as-needed basis”
- ❑ Computers are used to control the switching functions of a central office



# Switching Types

- ❑ Two different switching technologies
  - ❑ Circuit switching
  - ❑ Packet switching

# Circuit-Switched Network

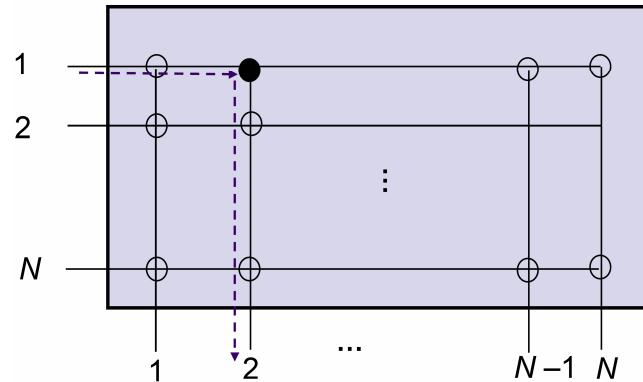
- ❑ **Circuit-Switched** network assigns a dedicated communication path between the two stations. It involves
  - ❑ Point to Point from terminal node to network
  - ❑ Internal Switching and multiplexing among switching nodes.
  - ❑ Data Transfer.
  - ❑ Circuit Disconnect.
- ❑ **Advantages**
  - ❑ Once connection is established
  - ❑ Network is transparent.
  - ❑ Nodes seems to be directly connected.
  - ❑ Fixed data rate with no delay.
- ❑ **Disadvantages**
  - ❑ Can be inefficient
  - ❑ Resources are dedicated to
  - ❑ Connection even if no data is sent.
  - ❑ Delay prior to usage of connection

• Blocking Networks (voice)

• Non-Blocking Networks (computer)

# Space Division Switching

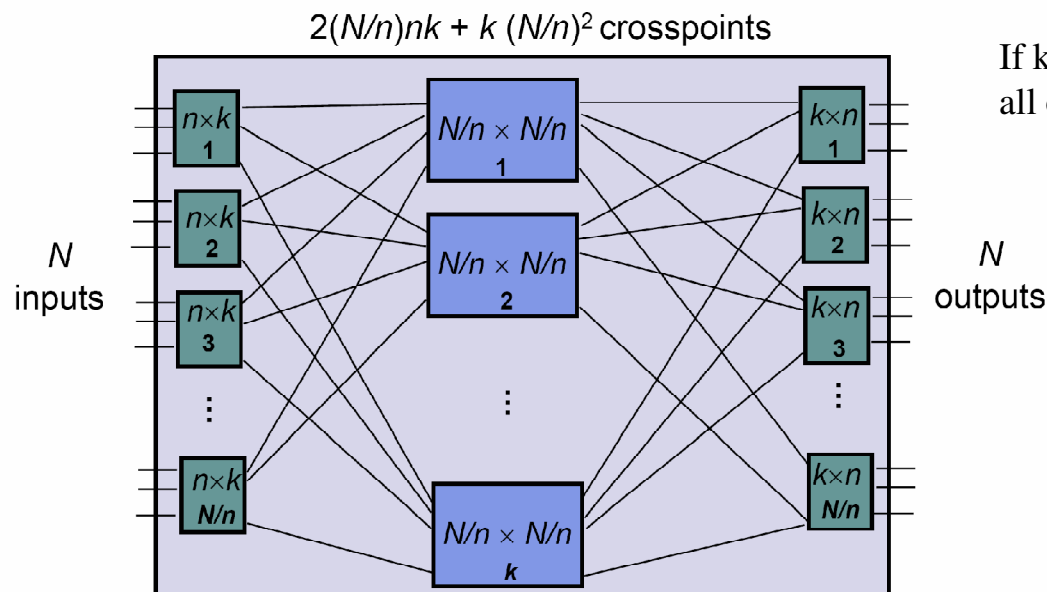
- ❑ Developed for analog environment
- ❑ Separate physical paths



- ❑ Recall Cross bar switch
  - ❑ The no. of cross points grows with square of the lines attached.  $N \times N$  array of crosspoints
  - ❑ The loss of cross point means the loss of connection between the corresponding points.
  - ❑ Only fraction of the cross points are used even when all the points are fully active. (sqrt of cross points)
  - ❑ Non-blocking switching type.
  - ❑ Less signaling requirement from the network.

# Multistage Switches

- ❑ Multistage switch
  - ❑ Less no. of cross points are needed.
  - ❑ More than one route for a connection.
  - ❑ More signaling from the network.
  - ❑ A blocking switching type (voice)

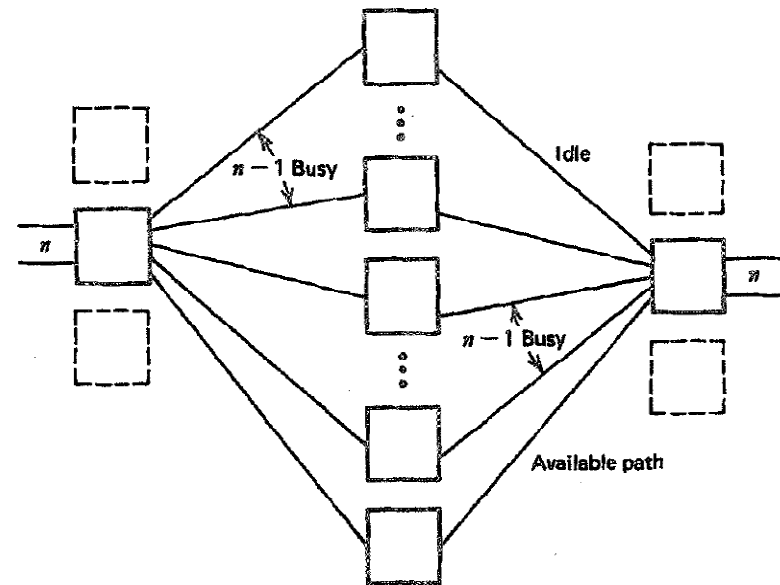
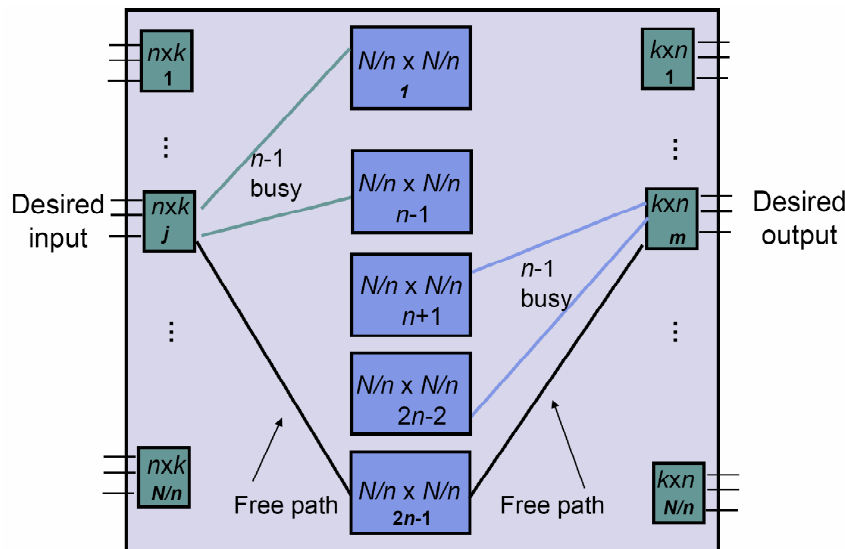


If  $k < n$ , if the first stage has  $k$  connections, all other connections will be blocked



# Nonblocking Switching

- ❑ When a multistage switch becomes nonblocking?
  - ❑ The multistage switch with  $k=2n-1$  is nonblocking
- ❑ The number of crosspoints required in a three stage switch is the sum of the following components
  - ❑  $N/n \times nk + k \times (N/n)^2 + N/n \times nk = 2Nk + k(N/n)^2$



# Blocking Probabilities

- ❑ Strictly nonblocking switches are rarely needed in most voice telephone networks.
  - ❑ Switching systems and the number of circuits in interoffice trunk groups are sized to service most requests (not all) as they occur
  - ❑ Economics dictates that network implementations have limited capacities that occasionally exceeded during peak-traffic situations
- ❑ Equipment for the public telephone network is designed to provide a certain maximum probability of blocking for the busiest hour of the day.
- ❑ Grade of service of the telephone company depends on the blocking probability, availability, transmission quality, and delay
- ❑ Residential lines are busy 5-10% of the time during the busy hour
- ❑ Network-blocking occurrences on the order of 1% during the busy hour do not represent a significant reduction in the ability to communicate since the called party is much more likely to have been busy anyway.

# Evaluation of Blocking Probability

- ❑ Probability graphs as proposed C. Y. Lee
  - ❑ Simplifying approximations are needed
  - ❑ Formulas directly relate to the underlying network structures
- ❑ Notation
  - ❑  $p \rightarrow$  represents the fraction of the time that a particular link is in use (or  $p$  is the probability that a link is busy)
  - ❑  $q=1-p$  is the probability that the link is idle.
- ❑ When any one of  $n$  parallel links can be used to complete a connection, the composite blocking probability  $B$  is the probability that all links are busy

$$B = p^n$$

- ❑ When a series of  $n$  links are all needed to complete a connection, the blocking probability is mostly determined as 1 minus the probability that they are all available

$$B = 1 - q^n$$

# Probability Graph

- Any particular connection can be established with  $k$  different paths
  - One through each center-stage array

$B$  = probability that all paths are busy  
 = probability that an arbitrary path is busy  
 = probability that at least one link in a path is busy) <sup>$k$</sup>   
 =  $(1 - (q')^2)^k$

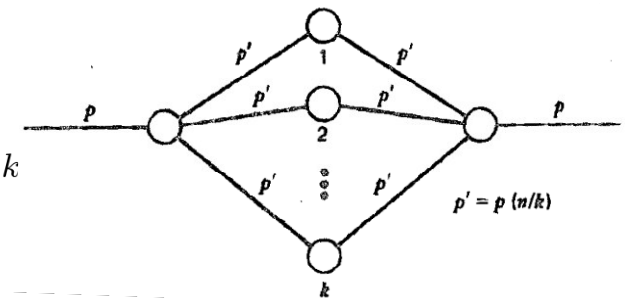
where  $k$ =number of center-stage arrays

$q'$ =probability that an interstage link is idle,  $=1-p'$

- If the probability  $p$  that an inlet is busy is known, the probability  $p'$  that an interstage link is busy can be determined as

$$p' = \frac{p}{\beta} \quad (p < \beta) \quad \text{where} \quad \beta = k/n$$

- There are  $\beta=k/n$  times as many interstage links as there are inlets and outlets. The percentage of interstage links that are busy is reduced by the factor  $\beta$ . If  $\beta$  is less than 1, then the first stage is concentrating the incoming traffic.



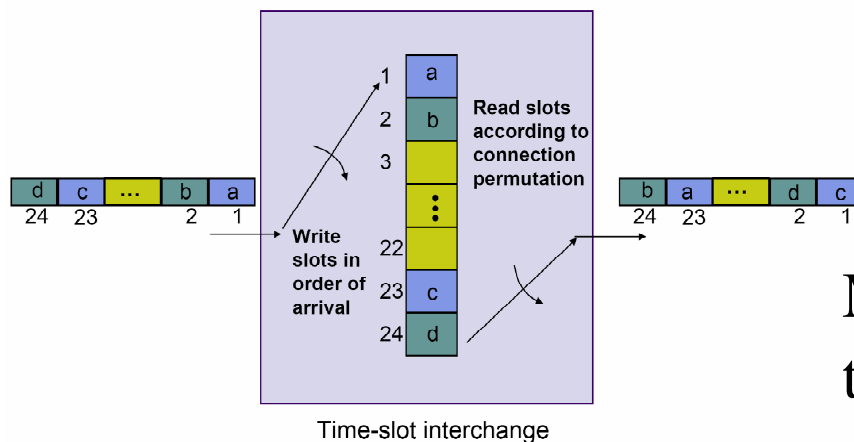
# Three-Stage Switch Design

- The blocking probability of a three-stage switch in terms of the inlet utilization  $p$ :

$$B = \left[ 1 - \left( 1 - \frac{p}{\beta} \right)^2 \right]^k$$

# Time-Division Switching

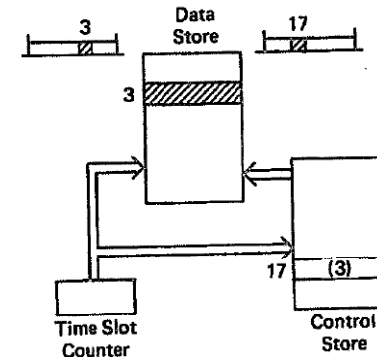
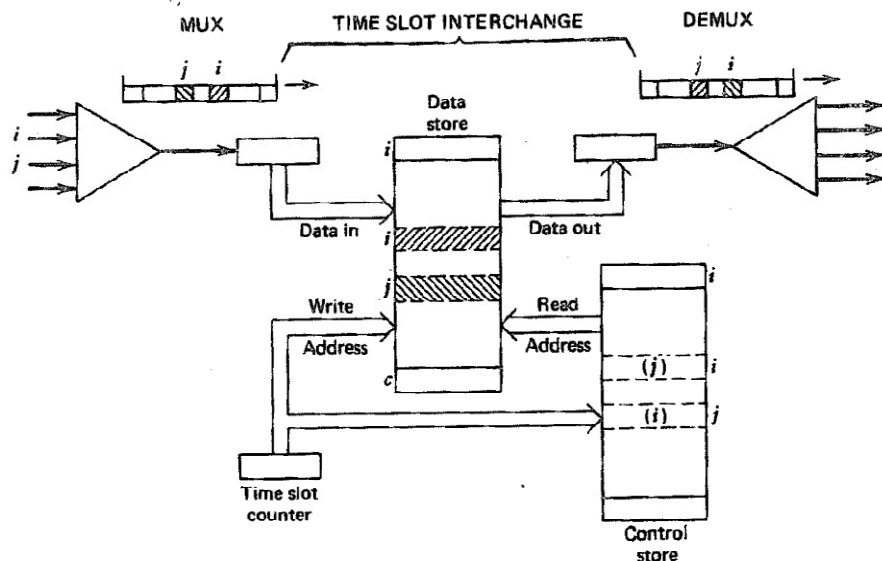
- ❑ Mostly all modern circuit switches are time-division switches.
- ❑ Time-slot interchange (TSI)
- ❑ It is based on synchronous TDM.
- ❑ Multiple low speed inputs share a high speed line.
- ❑ There is no need for address bits in each slot (synchronous)
  - ❑ The slot could be a bit, a byte or a longer block.



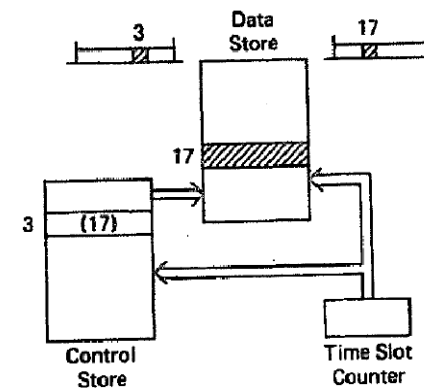
Maximum # of slots =  $125 / (2 \times t_c)$   
 $t_c$  = memory cycle time ( $\mu$  sec)

# MUX/TSI/DEMUX

- ❑ Incoming data slots are written into sequential locations of the data store memory.
- ❑ Data words from outgoing time slots, are read from addresses obtained from a control store



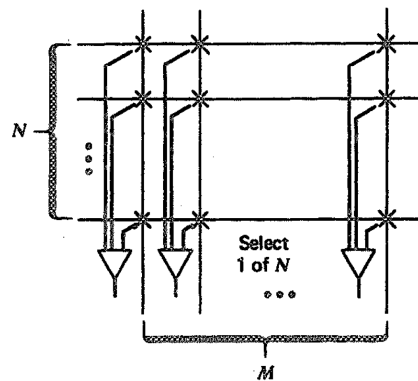
Sequential writes/  
random reads



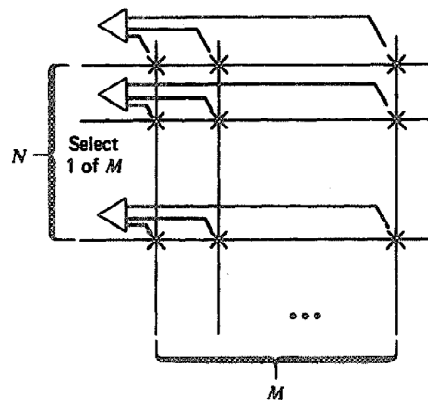
random writes/  
sequential reads

# Switch Matrix Control

- ❑ Crosspoint selection within a matrix is accomplished in one of two ways.
- ❑ Input-associated control
- ❑ Output-associated control



Output associated  
# of bits =  $M \log_2 N$



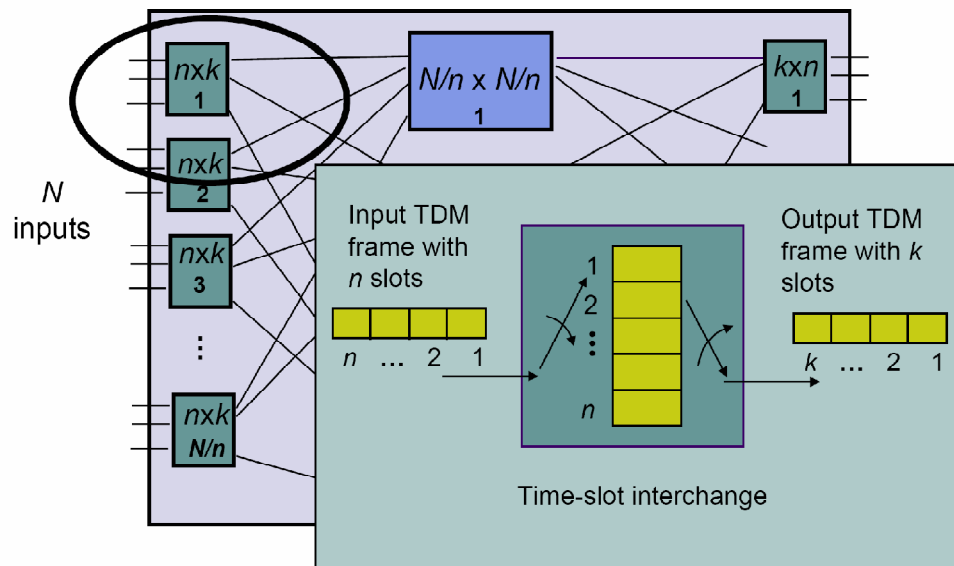
Input associated  
# of bits =  $N \log_2 M$



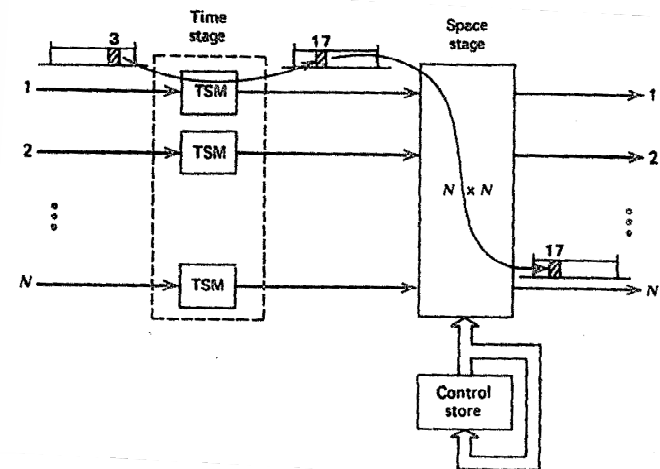
# Hybrid Switches

## Hybrid switch design (or two dimensional switching)

- Time-Space switch
- Space-Time-Space switch
- Time-Space-Time switch



Time-Space switch



# Implementation Complexity of TDS

- ❑ Total number of crosspoints alone is a less meaningful measure of implementation cost
- ❑ We have to include cost of the implementation including control bits
- ❑ Cost of number bits vs cost of crosspoints, (we use the ratio as 100)
- ❑ Complexity =  $N_x + N_B / 100$ 
  - ❑  $N_x$  = Number of space stage crosspoints
  - ❑  $N_B$  is number of bits of memory and control

# Implementation Complexity Example

- ❑ Determine the implementation complexity of the TS switch shown in previous slide:
  - ❑ # of TDM input lines  $N=80$
  - ❑ Each input contains a single DS1 signal (24 channels).
  - ❑ Assume a one-stage matrix is used for the space stage
- ❑ Number of cross points:  $N \times N = 80^2 = 6400$

# Implementation Complexity

- ❑ Total number of memory bits
  - ❑ space stage control store  $\rightarrow N_{BX} = (\text{number of links})(\text{number of control words})(\text{number of bits per control word})$
  - ❑  $N_{\{BX\}} = (80)(24)(7) = 13,440$
  - ❑ Time stage  $N_{BT} = \text{time slot interchange memory} + \text{control}$   
 $= (\text{number of links}) * \text{number of channels}(\text{number of bits per channel}) + (\text{number of links})(\text{number of control words})(\text{number of bits per control word})$   
 $N_{BT} = (80)(24)(8) + (80)(24)(5) = 24,960$
- ❑ Complexity  $= N_X + (N_{BX} + N_{BT}) / 100 = 6784$  equivalent crosspoints

# Space-Time-Space Switch

- Blocking probability of an STS switch

$$B = (1 - (q')^2)^k$$

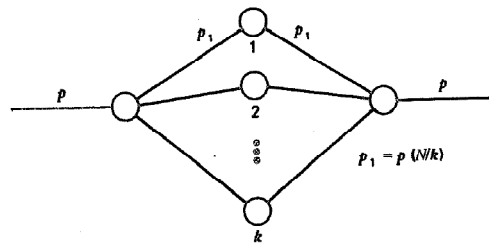
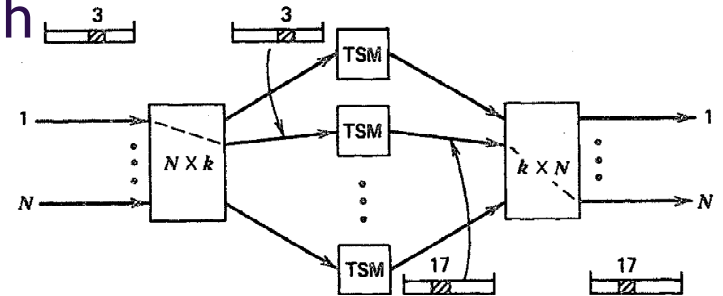
where  $q' = 1 - p' = 1 - p/\beta$   $\beta = k/N$

$k$  = number of center-stage time switch arrays

- Assume that each TDM link has  $c$  message channels

Complexity of STS switch = number of space stage crosspoints +  
(number of space stage control bits + number of time stage  
memory bits + number of time stage control bits) / 100

$$\text{Complexity} = 2kN + (2kc \log_2 N + kc(8) + kc \log_2 c) / 100$$

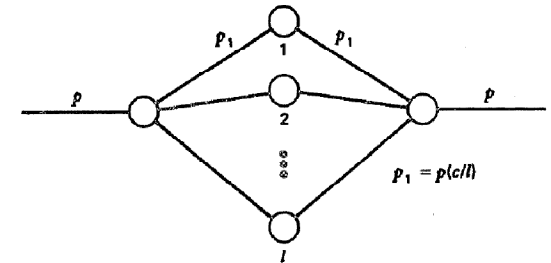
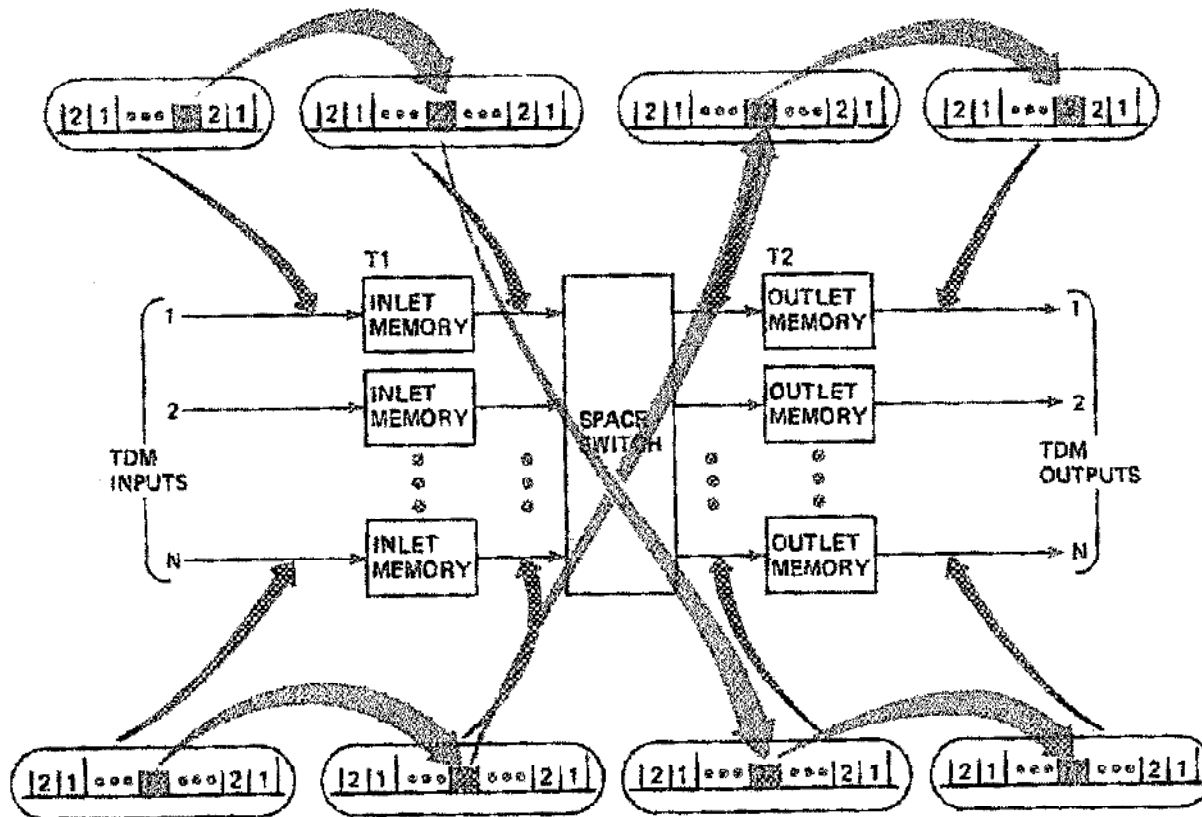


# Example

- ❑ Determine the implementation complexity of a 2048-channel STS switch implemented for 16 TDM links with 128 channels on each link. The desired maximum blocking probability is 0.002 for channel occupancies of 0.1
- ❑  $k=7$ ,  $B=0.002$
- ❑  $N_X=(2)(7)(16)=224$
- ❑  $N_B=(2)(7)(128)(4)+(7)(128)(8)+(7)(128)(7)=20608$
- ❑  $N=N_X + N_B/100=430$

# TST Switch

## □ TST switch structure



$$B = (1 - (q_1)^2)^k$$

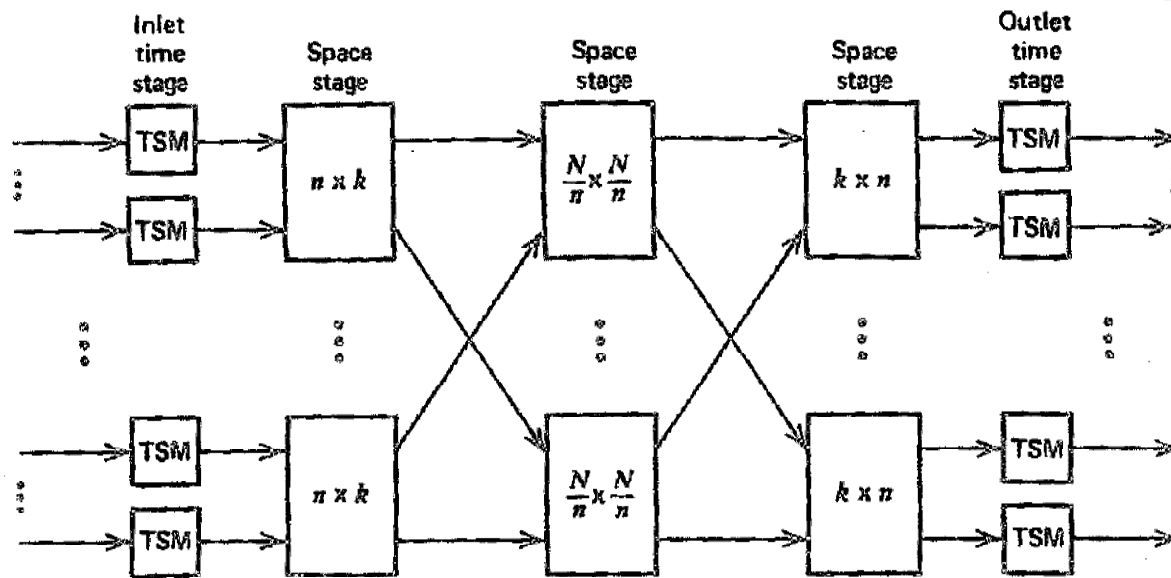
where  $q_1 = 1 - p_1 = 1 - p/\alpha$

$\alpha$  = time expansion ( $l/c$ )

$l$  = number of space stage time slots

# TSSST Switching Structure

## □ Multistage switches





# No. 4 ESS Toll Switch

- ❑ Electronic Switching System
- ❑ Time-space-time with four stages in the space switch

