

dB in Communications

- q The db (decibel) is a relative unit of measurement commonly used in communications for providing a reference for input and output levels.
 - q Power gain or loss.
- q Decibels are used to specify measured and calculated values in
 - q audio systems, microwave system gain calculations, satellite system link-budget analysis, antenna power gain, light-budget calculations and in many other communication system measurements
 - q In each case the dB value is calculated with respect to a standard or specified reference.

Calculation of dB

- q The dB value is calculated by taking the log of the ratio of the measured or calculated power (P_2) with respect to a reference power (P_1).



- q The result is multiplied by 10 to obtain the value in dB.

$$\text{dB} = 10 \log_{10} \frac{P_2}{P_1}$$

- q It can be modified to provide a dB value based on the ratio of two voltages. By using the power relationship $P = V^2/R$

$$\text{dB} = 10 \log_{10} \frac{P_2}{P_1} = 10 \log_{10} \frac{V_2^2/R}{V_1^2/R} = 20 \log_{10} \frac{V_2}{V_1}$$

Definitions of dBm and dBW

- q dBm indicates that the specified dB level is relative to a 1 milliwatt reference.



$$\text{dBm} = 10 \log_{10} \frac{P_2}{0.001\text{W}}$$

- q If Power is expressed in watts instead of milliwatts.
 - q the dB unit is obtained with respect to 1 watt and the dB values are expressed as dBW.

$$\text{dBW} = 10 \log_{10} \frac{P_2}{1 \text{ W}}$$

Examples

- q **Important Note:** The decibel (dB) is “the logarithm of a power ratio” and NOT a unit of power;
- q However, dBW and dBm are units of power in the logarithmic system of numbers
- q Convert the following into dBm or dBW
- q $P=1\text{mW}$, $P(\text{dBm})=?$
- q $P=0.1\text{mW}$, $P(\text{dBm})=?$
- q $P=10\text{W}$, $P(\text{dBW})=?$
- q $P=1\text{W}$, $P(\text{dBm})=?$

Signal-to-Noise Ratio (SNR)

- q The received signal should be greater than the average noise level at the receiver
- q The average noise level is calculated by

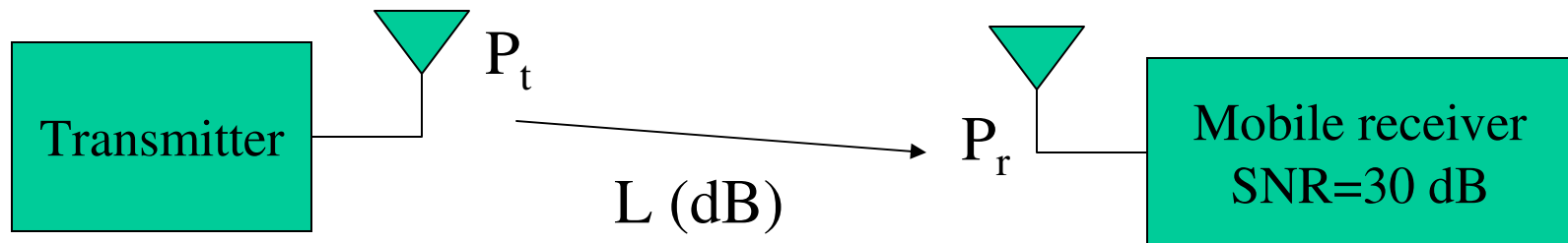
$$P_{out,noise} = G_{sys} F k T_0 B = G_{sys} k T_0 B \left(1 + \frac{T_e}{T_0} \right)$$

- q Where G_{sys} is the overall receiver gain due to cascaded stages
- q F is the noise figure of the receiver
- q k is Boltzmann's constant (1.38×10^{-23})
- q $T_e = (F-1) T_0$ is the effective noise temperature
- q For a cascaded system, $T_{esys} = T_1 + \frac{T_2}{G_1} + \frac{T_3}{G_1 G_2} + \dots$
- q T_0 is ambient room temperature (290K)
- q Signal-to-noise ratio is defined as

$$SNR = \frac{\text{Signal Power}}{\text{Noise Power}}$$

Example

- q A mobile receiver system



- q Determine the average signal strength at the antenna terminals to provide a SNR of 30 dB at the receiver output if the average noise level is -119.5 dBm.
- q L is the propagation loss
- q $P_r(\text{dBm}) = \text{SNR} + (-119.5) = -89.5 \text{ dBm}$
- q If the propagation loss is 100 dB, what is the minimum transmit power?